

Franc Forstnerič: List of publications (2024)

1. F. FORSTNERIČ: Proper holomorphic mappings in several complex variables. Thesis (Ph. D.), University of Washington, Seattle (1985). 149 pp., ProQuest LLC, Thesis.
2. F. FORSTNERIČ: Embedding strictly pseudoconvex domains into balls. *Trans. Amer. Math. Soc.* **295:1** (1986) 347–368. <http://www.ams.org/journals/tran/1986-295-01/>
3. F. FORSTNERIČ: On the boundary regularity of proper holomorphic mappings. *Ann. Sc. Norm. Sup. Pisa Cl. Sci. (4)* **13:1** (1986) 109–128. http://www.numdam.org/item?id=ASNSP_1986_4_13_1_109_0
4. F. FORSTNERIČ: Stability of polynomial convexity of totally real sets. *Proc. Amer. Math. Soc.* **96:3** (1986) 489–494. <http://www.jstor.org/stable/2046601>
5. F. FORSTNERIČ: Analytic discs with boundaries in a maximal real submanifold of \mathbb{C}^2 . *Ann. Inst. Fourier* **37:1** (1987) 1–44. <https://eudml.org/doc/74744>
6. F. FORSTNERIČ: Proper holomorphic maps from balls. *Duke Math. J.* **53:2** (1986) 427–441. <http://projecteuclid.org/euclid.dmj/1077305051>
7. F. FORSTNERIČ: Some totally real embeddings of three-manifolds. *Manuscripta Math.* **55:1** (1986) 1–7. <http://link.springer.com/article/10.1007/BF01168610>
8. F. FORSTNERIČ: On totally real embeddings into \mathbb{C}^n . *Exposition. Math.* **4:3** (1986) 243–255
9. F. FORSTNERIČ: Polynomially convex hulls with piecewise smooth boundaries. *Math. Ann.* **276:1** (1986) 97–104. <https://eudml.org/doc/164187>
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13. F. FORSTNERIČ: Extending proper holomorphic mappings of positive codimension. *Invent. Math.* **95:1** (1989) 31–62. <https://eudml.org/doc/143645>
14. F. FORSTNERIČ: A totally real three-sphere in \mathbb{C}^3 bounding a family of analytic discs. *Proc. Amer. Math. Soc.* **108:4** (1990) 887–892. <https://www.jstor.org/stable/2047942>
15. F. FORSTNERIČ: Mappings of strongly pseudoconvex Cauchy-Riemann manifolds. In: *Several complex variables and complex geometry*, Santa Cruz, 1989. *Proc. Symp. Pure Math.*, **52**, Part 1, pp. 59–92. Amer. Math. Soc., Providence, 1991. <http://www.ams.org/books/pspum/052.2/pspum052.2-endmatter.pdf>
16. F. FORSTNERIČ AND E. L. STOUT: A new class of polynomially convex sets in \mathbb{C}^2 . *Arkiv Mat.* **29:1** (1991) 51–62. <http://link.springer.com/article/10.1007/2FBF02384330>
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18. F. FORSTNERIČ: An elementary proof of Fefferman’s theorem. *Exposition. Math.* **10:2** (1992) 135–150
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22. F. FORSTNERIČ: A smooth holomorphically convex disc in \mathbb{C}^2 that is not locally rationally convex. *Proc. Amer. Math. Soc.* **116:2** (1992) 411–415. <http://www.jstor.org/stable/2159747>

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Faculty of Mathematics and Physics, University of Ljubljana
Jadranska 19, 1000 Ljubljana, Slovenia

Institut of Mathematics, Physics and Mechanics
Jadranska 19, 1000 Ljubljana, Slovenia

Slovenian Academy of Sciences and Arts
Novi Trg 3, 1000 Ljubljana, Slovenia

email: franc.forstneric@fmf.uni-lj.si
<https://www.fmf.uni-lj.si/~forstneric/>